

WONG, C. K. "A Generalized Pascal's Triangle," Vol. 13, No. 2, pp. 134–136. Co-author, T. W. Maddocks.

WOO, NORMAN. "Non-Basic Triples," Vol. 13, No. 1, pp. 56–58.

WULCZYN, GREGORY. "Minimum Solutions to $x^2 - Dy^2 = \pm 1$," Vol. 13, No. 4, pp. 307–311. Problem Proposed: H-247, Vol. 13, No. 1, p. 89. Problems Solved: B-277, Vol. 13, No. 1, p. 96; B-278, Vol. 13, No. 1, p. 96; B-281, Vol. 13, No. 2, p. 192; B-282, Vol. 13, No. 2, p. 192; B-283, Vol. 13, No. 2, p. 192; H-221, Vol. 13, No. 3, p. 284; B-288, Vol. 13, No. 3, p. 287; B-288, Vol. 13, No. 3, p. 287; B-290, Vol. 13, No. 3, p. 288; B-292, Vol. 13, No. 4, p. 374; B-294, Vol. 13, No. 4, p. 375; B-297, Vol. 13, No. 4, p. 377.

ZEITLIN, DAVID. Problems Solved: B-277, Vol. 13, No. 1, p. 96; B-278, Vol. 13, No. 1, p. 96; B-286, Vol. 13, No. 3, p. 286; B-288, Vol. 13, No. 3, p. 287; B-289, Vol. 13, No. 3, p. 287; B-192, Vol. 13, No. 3, p. 288; B-297, Vol. 13, No. 4, p. 377.

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THE GENERAL LAW OF QUADRATIC RECIPROCITY

If $(-1/b_1 b_2) = 1$, then

$$(a/b_1 b_2) = 1,$$

$$(-a/b_1 b_2) = 1,$$

$$(a/-b_1 b_2) = (a/-1),$$

$$(-a/-b_1 b_2) = -(a/-1);$$

If $(-1/b_1 b_2) = -1$, then

$$(a/b_1 b_2) = (-1/a),$$

$$(-a/b_1 b_2) = -(-1/a),$$

$$(a/-b_1 b_2) = (a/-1)(-1/a),$$

$$(-a/-b_1 b_2) = (a/-1)(-1/a).$$

REFERENCES

1. Leonard Eugene Dickson, *Introduction to the Theory of Numbers*, University of Chicago, 1929; Dover Publications, Inc., 1957.
2. William Judson LeVeque, *Topics in Number Theory*, Vol. 1, Addison-Wesley, Reading, Mass., 1956.
