

FIBONACCI GRACEFUL GRAPHS

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Since the Newton iterates always fulfill the *linear* equations which belong to the system of nonlinear equations that is to be solved (with the exception, of course, of the starting value), the conclusion follows at once.

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