

Theorem 2 is a dual to Theorem 1 and corresponds to the dual of the Zeckendorf theorem for Fibonacci numbers [4].

REFERENCES

1. J. L. Brown, Jr., "Note on Complete Sequences of Integers," American Mathematical Monthly, Vol. 68, No. 6, June-July, 1961, pp. 557-560.
2. C. G. Lekkerkerker, "Voorstelling van natuurlijke getallen door een som van getallen van Fibonacci," Simon Stevin, Vol. 29, 1951-52, pp. 190-195.
3. J. L. Brown, Jr., "Zeckendorf's Theorem and Some Applications," The Fibonacci Quarterly, Vol. 2, No. 3, October, 1964, pp. 163-168.
4. J. L. Brown, Jr., "A New Characterization of Fibonacci Numbers," The Fibonacci Quarterly, Vol. 3, No. 1, February 1965, pp. 1-8.

==== ASSOCIATION MEETING ====

The Fibonacci Association held its Fall Meeting on October 18th at San Jose State College. Following was the Program:

MORNING SESSION

- | | |
|-----------------|---|
| 9:30 a. m. | SOCIAL GATHERING |
| 10:00 — 10:45 | TEST FOR THE PRIMALITY OF MERSENNE NUMBERS
Douglas Lind, Stanford University |
| 10:45 — 11:30 | WEB SEQUENCES
George Ledin, Jr., University of San Francisco |
| 11:30 — 12 Noon | OPPORTUNITY FOR GENERAL DISCUSSION |

AFTERNOON SESSION

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| 1:15 — 2:00 | FIBONACCI AND RELATED SERIES IN COMBINATORICS
Prof. D. H. Lehmer, University of Calif., Berkeley |
| 2:00 — 2:45 | MARKOV-FIBONACCI RELATIONS
Prof. Gene Gale, San Jose State College |
| 2:45 — 3:30 | IT'S GENERALIZED! WHAT'S NEXT?
Prof. V. C. Harris, San Diego State College |
