in agreement with (7.3) where a part is of length not greater than $w-i$.

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## * *

## ODE TO PASCAL'S TRIANGLE

Pascal. . . Pascal, you genius, you, Constructed a triangle of powers of two.
Coefficients, and powers of eleven, by base ten,
A more useful aid, there's never been.
Head, tail, tail, head,
Answers from your rows are read.
Combinations and expectations, to my delight,
Can also be proved wrong or right.
With a little less effort and a little more ease,
I might have gotten thru this course in a breeze.
So, Pascal . . . Pascal, you rascal you.
Why did you limit it to powers of two?
... Bob Jones
Southern Baptist College
Blytheville, AR 72315
[See p. 455 for " Resp onse."]

