Therefore, the Fibonacci congruence relation is true for any prime $p$ and any integer $n$. The Lucas congruence relation can be proved by an argument similar to that given above.

## PALINDROME CUBES

B-183 Proposed by Gustavus J. Simmons, Sandia Corporation, Albuquerque, New Mexico.

A positive integer is a palindrome if its digits read the same forward or backward. The least positive integer $n$, such that $n^{2}$ is a palindrome but $n$ is not, is 26. Let $S$ be the set of $n$ such that $n^{3}$ is a palindrome but n is not. Is S empty, finite, or infinite?

Comment by the Proposer.
Since $2201^{3}$ is the palindrome 10662526601, $S$ is not empty. This is all that is known about the set S .

[Continued from page 506.]

| $\mathrm{a}=$29 <br> 30 | $\mathrm{~b}=$ | 35 |
| :---: | ---: | ---: |
| 31 | 113 | $\mathrm{c}=$ |
| 32 | 97 | 113 |
| 33 | 65 | 120 |
| 34 | 34 | 65 |
| 35 | 145 | 65 |
| 36 | 73 | 145 |
| 37 | 61 | 102 |
| 38 | 37 | 65 |
| 39 | 181 | 70 |
| 40 | 41 | 181 |
|  | 101 | 50 |
|  |  | 101 |

